| Topics | What students need to learn: |  |  |
| :---: | :---: | :---: | :---: |
|  | Content |  | Guidance |
| 7 Differentiation | 7.1 | Understand and use the derivative of $\mathrm{f}(x)$ as the gradient of the tangent to the graph of $y=\mathrm{f}(x)$ at a general point $(x, y)$; the gradient of the tangent as a limit; interpretation as a rate of change <br> sketching the gradient function for a given curve <br> second derivatives differentiation from first principles for small positive integer powers of $x$ <br> Understand and use the second derivative as the rate of change of gradient. | Know that $\frac{\mathrm{d} y}{\mathrm{~d} x}$ is the rate of change of $y$ with respect to $x$. <br> Knowledge of the chain rule is not required. <br> The notation $\mathrm{f}^{\prime}(x)$ may be used for the first derivative and $\mathrm{f}^{\prime \prime}(x)$ may be used for the second derivative. <br> Given for example the graph of $y=\mathrm{f}(x)$, sketch the graph of $y=\mathrm{f}^{\prime}(x)$ using given axes and scale. This could relate speed and acceleration for example. <br> For example, students should be able to use, for $n=2$ and $n=3$, the gradient expression $\lim _{h \rightarrow 0}\left(\frac{(x+h)^{n}-x^{n}}{h}\right)$ <br> Students may use $\delta x$ or $h$ <br> Use the condition $\mathrm{f}^{\prime \prime}(x)>0$ implies a minimum and $\mathrm{f}^{\prime \prime}(x)<0$ implies a maximum for points where $\mathrm{f}^{\prime}(x)=0$ |
|  | 7.2 | Differentiate $x^{n}$, for rational values of $n$, and related constant multiples, sums and differences. | For example, the ability to differentiate expressions such as $(2 x+5)(x-1) \text { and } \frac{x^{2}+3 x-5}{4 x^{\frac{1}{2}}}, x>0$ <br> is expected. |
|  | 7.3 | Apply differentiation to find gradients, tangents and normals, maxima and minima and stationary points. <br> Identify where functions are increasing or decreasing. | Use of differentiation to find equations of tangents and normals at specific points on a curve. <br> To include applications to curve sketching. Maxima and minima problems may be set in the context of a practical problem. <br> To include applications to curve sketching. |


| Topics | What students need to learn: |  |  |
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|  | Content |  | Guidance |
| 8 <br> Integration | 8.1 | Know and use the Fundamental Theorem of Calculus. | Integration as the reverse process of differentiation. Students should know that for indefinite integrals a constant of integration is required. |
|  | 8.2 | Integrate $x^{n}$ (excluding $n=-1$ ) and related sums, differences and constant multiples. | For example, the ability to integrate expressions such as $\frac{1}{2} x^{2}-3 x^{-\frac{1}{2}}$ and $\frac{(x+2)^{2}}{x^{\frac{1}{2}}}$ is expected. <br> Given $\mathrm{f}^{\prime}(x)$ and a point on the curve, Students should be able to find an equation of the curve in the form $y=\mathrm{f}(x)$. |
|  | 8.3 | Evaluate definite integrals; use a definite integral to find the area under a curve. | Students will be expected to understand the implication of a negative answer. |
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